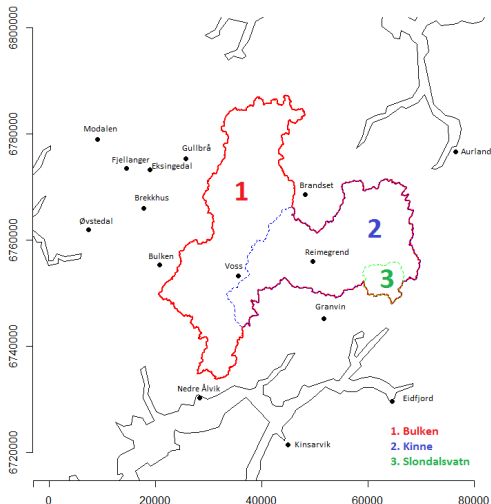


# Spatial prediction of annual precipitation



Voss 2014

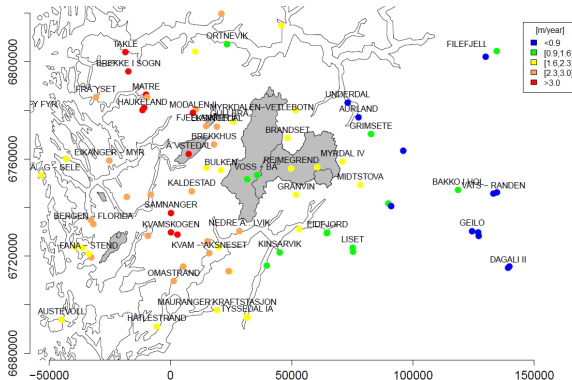


How to deal with limited data and data uncertainty?  
Install more precipitation gauges?  
Spatial statistics :-)

# Tobler's first law of Geography:

*"Everything is related to everything else, but near things are more related than distant things".*

## Gaussian random fields.



## Model for precipitation at location $\mathbf{s}$

Observed precipitation= Covariates + Gaussian random field + Noise

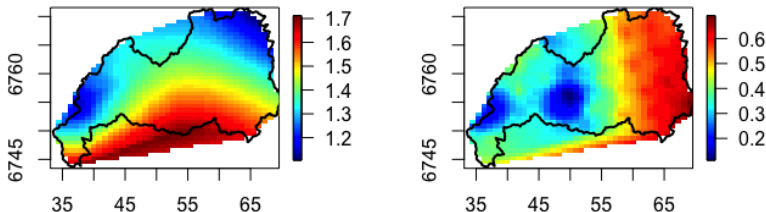
$$y(\mathbf{s}) = \mathbf{x}(\mathbf{s})'\boldsymbol{\beta} + c(\mathbf{s}) + \epsilon(\mathbf{s})$$

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Observed precipitation= Covariates + Gaussian random field + Noise

$$y(\mathbf{s}) = \mathbf{x}(\mathbf{s})'\boldsymbol{\beta} + c(\mathbf{s}) + \epsilon(\mathbf{s})$$

**Result:**



Estimated precipitation in 1993 with corresponding standard deviation [m/year].

# My phd-project

**So far:** Point observations of precipitation are used for prediction.

**Next step:** Add observations of runoff.

Runoff is the flow of water caused by rainfall and/or snowmelt.

